

# CONGESTION-AVOIDING JOB RECOMMENDATION WITH OPTIMAL TRANSPORT

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## INTRODUCTION

- Motivation: recommending job ads to job seekers in the context of a public employment agency
- Issue of *congestion*: it is inefficient to recommend the same job ad to many job seekers
- Contribution: new algorithm coupling optimal transport with recommender systems, named *Congestion-Avoiding job Recommendation with Optimal Transport* (CAROT)
- CAROT starts with recommendations scores computed to maximize individual performance (chance to find a job learned from past hiring). It uses OT to flatten the score matrix to reduce the congestion problem.

## RELATED WORK

### Computational Optimal Transport (OT)

- Aims to map uniform discrete distribution on  $n$  users  $\mu$  onto the uniform discrete distribution on  $m$  job ads  $\nu$
- Let  $\Gamma(\mu, \nu)$  be the set of measures s.t. their marginals wrt 1st and 2nd arguments are  $\mu$  and  $\nu$ ,  $C_{i,j}$  be the cost of mapping  $i$  onto  $j$ , the OT problem is:

$$\min_{\gamma \in \Gamma(\mu, \nu)} \sum_{i=1}^n \sum_{j=1}^m \gamma_{i,j} C_{i,j} \quad (1)$$

Cuturi (2013): tractable relaxation with an entropic term:

$$\min_{\gamma \in \Gamma(\mu, \nu)} \sum_{i=1}^n \sum_{j=1}^m \gamma_{i,j} (C_{i,j} + \varepsilon \log(\gamma_{i,j})) \quad (2)$$

with  $\varepsilon$  a regularization weight.

### Congestion-avoiding recommendation

- Issue of congestion noted early by Gualdi et al. (2013)
- Xia et al. (2019): (NP-hard) multi-objective problem
- Borisyuk et al. (2017): decentralised score shifting based on predicted popularity
- Chen et al. (2019), Li et al. (2019), and related work in econometrics - Chiappori et al. (2016): OT-based approaches
- Unlike main approaches in OT-based recommendation, CAROT does *not* assume the observed matches (the training data) to be the solution of an OT plan

## PROPOSED APPROACH

### Step 1: Learning a recommender system

- Two baseline recommender systems are considered:
  - XGBoost (XGB): predict whether a pair matches or not using boosted trees - Chen et al. (2016), Volkovs et al. (2017)
  - Neural networks (NN) mapping descriptions of user  $x_i$  and item  $y_j$  onto latent spaces  $z_{x,i}$  and  $z_{y,j}$ , with adequacy  $s_{ij}$  sought as  $z_{x,i}^T A z_{y,j}$  with  $A$  a matrix - Chechik et al. (2009). The mappings and  $A$  are learned end-to-end using a triplet loss - Weinberger et al. (2009).

- Both models yield a score  $s_{ij}$  to rank job ads  $j$  for job seeker  $i$

### Step 2: Finding a transport plan

- Transform scores / rankings into a cost  $C_{ij} = g(s_{ij})$  of matching  $i$  and  $j$ , with  $g$  monotonous function (hyperparameter)
  - Below:  $g = "Id+":$  essentially linear in scores;
  - $g = "ndcg":$  NDCG-like criterion based on rank of  $j$  for  $i$

- Solve regularized OT problem, i.e. equation 2

### Issuing recommendations

- For a given job seeker  $i$ , sort job ads by  $\gamma_{ij}$  (decreasing order)

## DATA

Proprietary data provided by *Pôle emploi*, the French public unemployment agency.

- Training set: circa 1,650,000 job seekers, 477,000 job ads, 43,000 matches (signed contracts) during the Feb.-Oct 2018 period.
- The representation of job seekers (resp. job ads) is of dimension 448 (resp. 582).
- Test set: job seekers and job ads in the sector of transportation and logistics - circa 110,000 job seekers, 14,200 job ads and 450 matches in Nov. 2018.

*Setup:*  $s_{ij}$  is learned from the training set, the OT plan computed on the test set, the performance indicators are measured on the test set.

## PERFORMANCE CRITERIA

- Recall@ $k$ : fraction of users for which the actually preferred item is ranked among the top- $k$  recommendations
- Coverage@ $k$ : share of job ads appearing in top- $k$  recommendations to the population of job seekers.
- Congestion@ $k$ : KL-type divergence between observed and uniform market shares, normalized to be best (no congestion) at -1 and worst at 0

## RESULTS

	Algorithm ( $g, \varepsilon$ )	Recall (%)		Coverage (%)		Congestion	
		@1	@10	@1	@10	@1	@10
	Random	0	0.21	99.95	100	-0.99	-0.99
CAROT-XGB	XGB (no OT)	9.62	31.40	12.94	25.16	-0.62	-0.64
	$Id+, 1.0$	4.81	21.99	21.61	31.76	-0.74	-0.75
	$Id+, 0.1$	2.18	15.31	27.54	41.24	-0.78	-0.81
	$Id+, 0.01$	4.37	20.45	46.75	57.61	-0.85	-0.79
	$ndcg, 1.0$	9.62	31.61	12.96	26.14	-0.62	-0.67
	$ndcg, 0.1$	8.97	25.38	14.69	30.84	-0.67	-0.74
CAROT-NN	$ndcg, 0.01$	5.03	14.00	36.81	57.52	-0.82	-0.81
	NN (no OT)	5.68	28.66	6.02	17.78	-0.46	-0.49
	$Id+, 1.0$	6.78	26.14	11.99	26.30	-0.62	-0.65
	$Id+, 0.1$	2.40	19.03	28.23	40.16	-0.80	-0.79
	$Id+, 0.01$	3.93	16.30	27.89	62.35	-0.83	-0.70
	$ndcg, 1.0$	5.68	27.46	6.02	19.75	-0.46	-0.55
	$ndcg, 0.1$	5.25	23.3	8.85	26.40	-0.53	-0.65
	$ndcg, 0.01$	1.53	12.36	35.41	51.56	-0.81	-0.81

- Without OT, less than 18% (NN) or 25.16% (XGB) of job ads would appear in top-10 recommendations, despite job seekers outnumbering job ads by a factor of 8 in the test set
- NN is dominated by XGB for all indicators, but NN is 50 times faster when computing recommendations (and twice faster to train)
- Coverage monotonically increases, and recall monotonically decreases as  $\varepsilon$  decreases from 1 to .01: it seems hard to combine good coverage and decent recall.
- Congestion@1 can be significantly improved (from -.62 to .78) at the expense of a moderate recall loss (recall@10 goes from 21% to 15.3%) for  $g = Id+, \varepsilon = .1$ .
- Surprisingly, decreasing  $\varepsilon$  yields a better (lower) congestion at the expense of a worse recall.